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**Christopher A. Francisco\*** ([chrisf@math.missouri.edu](mailto:chrisf@math.missouri.edu)), Department of Mathematics,  
University of Missouri, 202 Mathematical Sciences Building, Columbia, MO 65211, and **Huy Tài**  
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Let  $G$  be a simple graph on vertices  $x_1, \dots, x_n$ , and let  $I(G)$  be the edge ideal of  $G$  in  $R = k[x_1, \dots, x_n]$ . We say that a graph is (sequentially) Cohen-Macaulay if  $R/I(G)$  is (sequentially) Cohen-Macaulay. In this work, we consider the effect of adding whiskers to a graph. To add a whisker to a graph  $G$  means to add a new vertex  $y_i$  and to connect it to a single old vertex  $x_i$  by an edge. Villarreal proved that if one adds a whisker to every vertex of a graph  $G$ , the new graph is Cohen-Macaulay. We use Alexander duality to investigate what configurations of whiskers added to a graph make the new graph sequentially Cohen-Macaulay. (Received January 23, 2006)