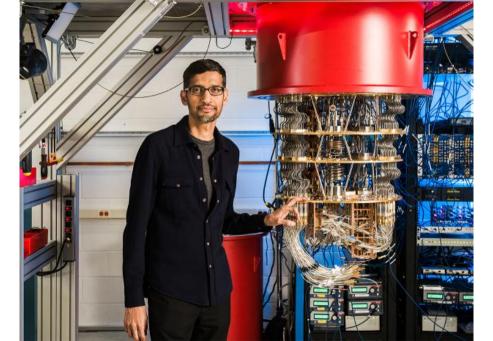
Crypto horror stories

Daniel J. Bernstein, Tanja Lange

University of Illinois at Chicago, Ruhr University Bochum; Eindhoven University of Technology





Mr Pichai said a combination of artificial intelligence and quantum would "help us tackle some of the biggest problems we see", but said it was important encryption evolved to match this.

"In a five to ten year time frame, quantum computing will break encryption as we know it today."

This is because current encryption methods, by which information such as texts or passwords is turned into code to make it unreadable, rely upon the fact that classic computers would take billions of years to decipher that code.

Quantum computers, with their ability to be

U.S. National Academy of Sciences report

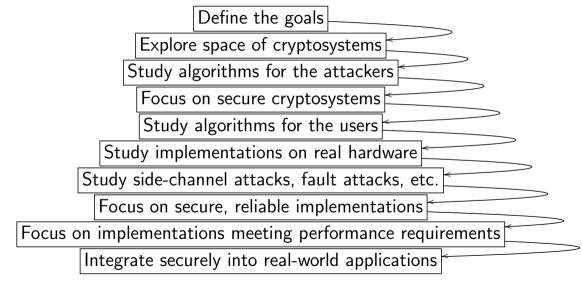
Don't panic. "Key Finding 1: Given the current state of quantum computing and recent rates of progress, it is highly unexpected that a quantum computer that can compromise RSA 2048 or comparable discrete logarithm-based public key cryptosystems will be built within the next decade."

U.S. National Academy of Sciences report

Don't panic. "Key Finding 1: Given the current state of quantum computing and recent rates of progress, it is highly unexpected that a quantum computer that can compromise RSA 2048 or comparable discrete logarithm-based public key cryptosystems will be built within the next decade."

Panic. "Key Finding 10: Even if a quantum computer that can decrypt current cryptographic ciphers is more than a decade off, the hazard of such a machine is high enough—and the time frame for transitioning to a new security protocol is sufficiently long and uncertain—that prioritization of the development, standardization, and deployment of post-quantum cryptography is critical for minimizing the chance of a potential security and privacy disaster."

Many stages of research from design to deployment



Is post-quantum crypto moving quickly enough?

1994: Shor's algorithm.

PQCrypto 2006: International Workshop on Post-Quantum Cryptography. (Coined phrase in 2003.)

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Is post-quantum crypto moving quickly enough?

1994: Shor's algorithm.

PQCrypto 2006: International Workshop on Post-Quantum Cryptography. (Coined phrase in 2003.) PQCrypto 2008, 2010, 2011, 2013, 2014, 2016, 2017, 2018, 2019, upcoming 2020.

2014: EU solicits grant proposals in post-quantum crypto.

2014: ETSI starts working group on "Quantum-safe" crypto.

2015: NIST hosts workshop on post-quantum cryptography.

After public input, NIST calls for submissions of public-key systems to "Post-Quantum Cryptography Standardization Project".

Deadline 2017.11.

2017: Submissions to the NIST competition

21 December 2017: NIST posts 69 submissions from 260 people.

BIG QUAKE. BIKE. CFPKM. Classic McEliece. Compact LWE. CRYSTALS-DILITHIUM. CRYSTALS-KYBER. DAGS. Ding Key Exchange. DME. DRS. DualModeMS. Edon-K. EMBLEM and R.EMBLEM. FALCON. FrodoKEM. GeMSS. Giophantus. Gravity-SPHINCS. Guess Again. Gui. HILA5. HiMQ-3. HK17. HQC. KINDI. LAC. LAKE. LEDAkem. LEDApkc. Lepton. LIMA. Lizard. LOCKER. LOTUS. LUOV. McNie. Mersenne-756839. MQDSS. NewHope. NTRUEncrypt. pgNTRUSign. NTRU-HRSS-KEM. NTRU Prime. NTS-KEM. Odd Manhattan. OKCN/AKCN/CNKE. Ouroboros-R. Picnic. pgRSA encryption. pgRSA signature. pgsigRM. QC-MDPC KEM. gTESLA. RaCoSS. Rainbow. Ramstake. RankSign. RLCE-KEM. Round2. RQC. RVB. SABER. SIKE. SPHINCS+. SRTPI. Three Bears. Titanium. WalnutDSA.

Some submissions are broken within days

By end of 2017: 8 out of 69 submissions attacked.

BIG QUAKE. BIKE. CFPKM. Classic McEliece. Compact LWE. CRYSTALS-DILITHIUM. CRYSTALS-KYBER. DAGS. Ding Key Exchange. DME. DRS. DualModeMS. Edon-K. EMBLEM and R.EMBLEM. FALCON. FrodoKEM. GeMSS. Giophantus. Gravity-SPHINCS. Guess Again. Gui. HILA5. HiMQ-3. HK17. HQC. KINDI. LAC. LAKE. LEDAkem. LEDApkc. Lepton. LIMA, Lizard, LOCKER, LOTUS, LUOV, McNie, Mersenne-756839, MQDSS, NewHope, NTRUEncrypt, paNTRUSign, NTRU-HRSS-KEM, NTRU Prime. NTS-KEM. Odd Manhattan. OKCN/AKCN/CNKE. Ouroboros-R. Picnic. pgRSA encryption. pgRSA signature. pgsigRM. QC-MDPC KEM. gTESLA. RaCoSS. Rainbow. Ramstake. RankSign. RLCE-KEM. Round2. RQC. RVB. SABER. SIKE. SPHINCS+. SRTPI. Three Bears. Titanium. WalnutDSA.

Some less secure than claimed; some smashed; some attack scripts.

Do cryptographers have any idea what they're doing?

By end of 2018: 22 out of 69 submissions attacked.

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Some less secure than claimed; some smashed; some attack scripts.

Do cryptographers have any idea what they're doing?

By end of 2019: 30 out of 69 submissions attacked.

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Some less secure than claimed; some smashed; some attack scripts.

People often categorize submissions. Examples of categories:

- Code-based encryption and signatures.
- Hash-based signatures.
- Isogeny-based encryption.
- Lattice-based encryption and signatures.
- Multivariate-quadratic encryption and signatures.

"What's safe is lattice-based cryptography."

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2006 Silverman: "Lattices, SVP and CVP, have been intensively studied for more than 100 years, both as intrinsic mathematical problems and for applications in pure and applied mathematics, physics and cryptography."

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2017 Peikert: "The underlying worst-case problems—e.g., approximating short vectors in lattices—have been deeply studied by some of the great mathematicians and computer scientists going back at least to Gauss, and appear to be very hard."

Best SVP algorithms known by 2000: time $2^{\Theta(N \log N)}$ for almost all dimension-N lattices.

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0.337: 2014 Laarhoven.

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0.378: 2013 Zhang-Pan-Hu.

0.337: 2014 Laarhoven.

0.298: 2015 Laarhoven-de Weger.

0.292: 2015 Becker-Ducas-Gama-Laarhoven.

Lattice security is even more poorly understood

Lattice-based crypto has many more attack avenues than SVP.

Lattice-based submissions: Compact LWE.

CRYSTALS-DILITHIUM. CRYSTALS-KYBER.

Ding Key Exchange. DRS. EMBLEM and R.EMBLEM. FALCON.

FrodoKEM. HILA5. KINDI. LAC. LIMA. Lizard. LOTUS.

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Odd Manhattan. OKCN/AKCN/CNKE. pqNTRUSign. <u>qTESLA</u>.

Round2. SABER. Titanium.

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Odd Manhattan. OKCN/AKCN/CNKE. pqNTRUSign. <u>qTESLA</u>.

Round2. SABER. Titanium.

Lattice security estimates are so imprecise that nobody is sure whether the remaining submissions are damaged by a 2019 paper solving a lattice problem "more than a million times faster".

Minerva attack can recover private keys from smart cards, cryptographic libraries

Older Athena IDProtect smart cards are impacted, along with the WolfSSL, MatrixSSL, Crypto++, Oracle SunEC, and Libgcrypt crypto libraries.

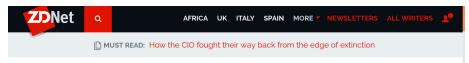


MORE FROM CATALIN CIMPANU

Security
Google Chrome
impacted by new
Magellan 2.0
vulnerabilities

Security Russia successfully disconnected from the internet

ZDNet article



TPM-FAIL vulnerabilities impact TPM chips in desktops, laptops, servers

TPM-FAIL lets attackers steal private keys from TPMs. Attacks take from minutes to a few hours.



ZDNet article



Security

Don't trust the Trusted Platform Module – it may leak your VPN server's private key (depending on your configuration)

You know what they say: Timing is... everything

By Thomas Claburn in San Francisco 12 Nov 2019 at 19:43

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Patch now: Published Citrix applications leave networks of 'potentially 80.000' firms at risk from

Register article



T-KARRIERE: STELLENMARKT SEMENARE IT-KÖPFE GEMALTSCHECK | SERVICES: PREISVERGLEICH

mehr...

ELLIPTISCHE KURVEN

Minerva-Angriff zielt auf zertifizierte Krypto-Chips

Forscher konnten zeigen, wie sie mit einem Timing-Angriff die privaten Schlüssel von Signaturen mit elliptischen Kurven auslesen konnten. Verwundbar sind Chips, deren Sicherheit eigentlich zertifiziert wurde.

4. Oktober 2019, 13:41 Uhr, Hanno Böck











Golem article

Password recovery if server compares letter by letter: Try AAA,

Password recovery if server compares letter by letter: Try AAA, BBB,

Password recovery if server compares letter by letter: Try AAA, BBB, CCC, ...

Password recovery if server compares letter by letter: Try AAA, BBB, CCC, ..., MMM takes slightly longer to fail. Try MAA,

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:
```

```
Password recovery if server compares letter by letter:

Try AAA, BBB, CCC, ..., MMM takes slightly longer to fail.

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Try MUA, MUB, MUC, ..., MUN takes slightly longer to fail.

:
```

Password is MUNICH.

1974: Exploit developed by Alan Bell for TENEX operating system.

Exponentiation with secret exponent (RSA, DH)

```
Compute c^d given c and d.
n = 1000001
d = 12473
c = 41241
1 = d.nbits()
D = d.bits()
m = c
for i in range (1-2,-1,-1):
  m = m^2 \% n
  if D[i] == 1:
    m = m * c % n
print(m)
```

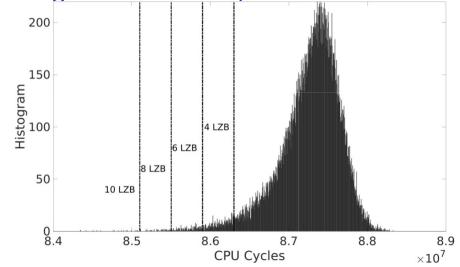
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m = c
for i in range (1-2,-1,-1): # loop length depends on d
  m = m^2 \% n
  if D[i] == 1:
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print(m)
```

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D = d.bits()
m = c
for i in range (1-2,-1,-1): # loop length depends on d
  m = m^2 \% n
  if D[i] == 1: # branch depends on d
    m = m * c % n
print(m)
```

Timings of scalar multiplication on NIST P-256



(Picture from TPM-Fail)

- The timing variation depends strongly on the length of the scalar/exponent.
- Very sparse or very dense scalars will be miscategorized.
- Faster methods reduce the number of multiplications by using windows: 14019 =

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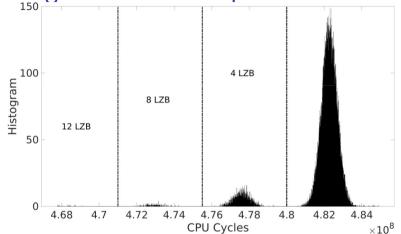
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- Faster methods reduce the number of multiplications by using windows: $14019 = 0x36C3 = \underbrace{0011}_{0.3} \underbrace{0110}_{1.2} \underbrace{1100}_{3.0} \underbrace{0011}_{0.3}$

Precompute c, c^2 , and c^3 .

$$c^{14019} = \left(\left(\left(\left(\left(\left(c^3 \right)^4 \cdot c \right)^4 \cdot c^2 \right)^4 \cdot c^3 \right)^4 \right)^4 \cdot c^3.$$

Same number of squarings, 4 instead of 7 multiplications.

Timings of scalar multiplication on NIST P-256



Larger windows reduce the variability through branching but accentuate the length.

• A bit for RSA, DH, etc.

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- A lot for DSA and ECDSA signatures:
 - TPM-Fail: TPM meets Timing and Lattice Attacks
 Daniel Moghimi, Berk Sunar, Thomas Eisenbarth, Nadia Heninger
 https://tpm.fail/
 - Minerva attack
 Jan Jancar, Petr Svenda, Vladimir Sedlacek
 https://minerva.crocs.fi.muni.cz/

With just a small bias in the nonces (one-time scalars) the secret signing key leaks.

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With just a small bias in the nonces (one-time scalars) the secret signing key leaks.

- Lots of libraries, smart cards, and TPMs affected.
- Even worse: hyperthreading attacks, cache-timing attacks, etc. give more fine-grained timing information ⇒ more exploits.

Constant-time exponentiation

```
n = 1000001
d = 12473
c = 41241
1 = n.nbits()
D = d.digits(2,padto = 1)
m = 1 # so initial squarings don't matter
for i in range(l-1,-1,-1): # fixed-length loop
 m = m^2 \% n
 h = m * c % n
 m = (1 - D[i]) * m + D[i] * h # selection by arithmetic
print(m)
```

This costs 1 multiplication per bit, so as slow as worst case.

Interplay with elliptic-curve formulas

- We can translate this to scalar multiplication on elliptic curves: Initialize with the neutral element, for every bit compute a doubling and an addition.
- Formulas for addition on Weierstrass curves have exceptions for adding ∞ , so initialization at ∞ does not work.
- Edwards curves have a complete addition law, **easy** to double or add the neutral element (0, 1).
- The Montgomery ladder has a similar data flow, but the costs per bit of the scalar are less than one addition plus one doubling for Montgomery curves.

For more see https://ecchacks.cr.yp.to.

Billionaires Innovation Leadership Money Business Small Business Lifes

210.878 views | Jun 12, 2019, 08:10am

Warning: Google Researcher Drops Windows 10 Zero-Day **Security Bomb**



Davey Winder Senior Contributor () Cybersecurity I report and analyse breaking cybersecurity and privacy stories



It's actually a bug within SymCrypt, the core cryptographic library responsible for implementing asymmetric crypto algorithms in Windows 10 and symmetric crypto algorithms in Windows 8. What Ormandy found was that by using a malformed digital certificate he could force the SymCrypt calculations into an infinite loop. This will effectively perform a denial-of-service (DoS) attack on Windows servers such as those running the IPsec protocols that are required when using a VPN or the Microsoft Exchange Server for email and calendaring for example.

Ormandy also notes that, "lots of software that processes untrusted content (like antivirus) call these routines on untrusted data, and this will cause them to deadlock." Despite this, he rated it a low severity vulnerability while adding, "you could take down an entire Windows fleet relatively easily, so it's worth being aware of." The advisory that Ormandy has published gives details of the vulnerability as well as proof-of-concept in the form of an example malformed certificate that would cause the denial of service.

Forbes article Crypto horror stories Daniel J. Bernstein, Tania Lange 210.878 views | Jun 12, 2019, 08:10am

Warning: Google Researcher Drops Windows 10 Zero-Day Security Bomb

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Crypto horror stories Forbes article Daniel J. Bernstein, Tanja Lange

Using Valgrind to check for secret branches/addresses

```
#include <stdlib.h>
#include <openssl/rc4.h>
int main()
  RC4_KEY expandedkey;
  unsigned char *kev = malloc(32);
  if (!key) abort();
  RC4_set_key(&expandedkey,32,key);
  free(key);
  return 0:
```

Using Valgrind to check for secret branches/addresses

```
$ valgrind ./rc4
==2599== Memcheck, a memory error detector
==2599== Copyright (C) 2002-2017, and GNU GPL'd, by Juliar
==2599== Using Valgrind-3.14.0 and LibVEX; rerun with -h f
==2599== Command: ./rc4
==2599==
==2599== Use of uninitialised value of size 8
==2599==
            at 0x4A1A0EF: RC4_set_key (in /usr/lib/x86_64-
==2599==
            by 0x1090BD: main (in /home/.../rc4)
==2599== ERROR SUMMARY: 256 errors from 1 contexts (suppre
```

Now we have constant-time exponentation / scalar multiplication if

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• the arithmetic is implemented in constant time

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- the processor provides constant-time arithmetic instructions.

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- the arithmetic is implemented in constant time
- the processor provides constant-time arithmetic instructions.

Single-clock-cycle instructions are probably OK.

ARM Cortex-M3

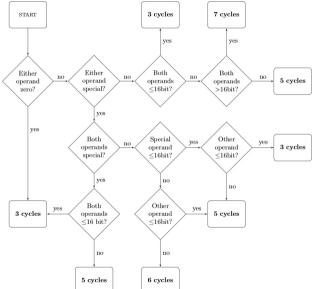
Table 18-1 Instruction timings (continued)

Instruction type	Size	Cycles count	Description	
Shift operations	32	1	$ASR\{S\}, LSL\{S\}, LSR\{S\}, ROR\{S\}, and RRX\{S\}.$	
Miscellaneous	32	1	REV, REVH, REVSH, RBIT, CLZ, SXTB, SXTH, UXT, and UXTH. Extension instructions same as correspondent of the structions.	2.70
Table Branch	16	4+Pa	Table branches for switch/case use. These are LD shifts and then branch.	/-
Multiply	32	1 or 2	MUL, MLA, and MLS. HELE is one cycle and ML. MLS are two cycles.	
Multiply with 64-bit result	32	3-7°	UMULL, SMULL, UMLAL, and SMLAL. Cycle count based on input sizes. That is, ABS(inputs) < 64K terminates early.	
Load-store addressing	32	-	Supports Format PC+/-imm12, Rbase+imm12, Rbase+/-imm8, and adjusted register including shifts. T variants used when in Privilege mode.	

c. UMULL/SMULL/UMLAL/SMLAL use early termination depending on the size of source values. These are interruptible (abandoned/restarted), with worst case latency of one cycle. MLAL versions take four to seven cycles and MULL versions take three to five cycles. For MLAL, the signed version is one cycle longer than the unsigned.

Cortex-M3 Technical Reference Manual - ARM architecture

ARM Cortex-M3 – what does it really do?



Flow chart for UMLAL (unsigned multiply add) from A performance study of X25519 on Cortex-M3 and M4 by Wouter de Groot.



This #PatchTuesday you are strongly encouraged to implement the recently released CVE-2020-0601 patch immediately.

media.defense.gov/2020/Jan/14/20...



Certutil can be used to list registered elliptic curves and view their parameters by running the following comman

- Certificate shows Alice's public key Q and params E, P.
- Signed message consists of ECDSA signature (m, r, s) as well as Alice's public key Q and E, P. After checking certificate, Windows remembers that Q is Alice's trusted public key.
- Next verification of a signature by Alice checks validity of (m', r', s') under supplied (E, P, Q) if Q is in database.

- Certificate shows Alice's public key Q and params E, P.
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Microsoft CVE-2020-0601



Replying to @hanno

See cr.yp.to/newelliptic/ni... (from @hyperelliptic and me), which says in §1 that "unnecessary complexity in ECC implementations" creates "ECC security failures", and says in §11 that allowing run-time curve choices causes "obvious damage to implementation simplicity". Told ya so.

8:35 PM · Jan 15, 2020 · Twitter Web App

CVE-2018-0733, an OpenSSL bug

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— Yes, 2^{16} is "lower than" 2^{128} .

CVE-2017-3738, another OpenSSL bug

Don't care about PA-RISC? How about Intel?

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"Attacks against DH1024 are considered just feasible"

— How much time? How much hardware?

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6 December 2019: Similar OpenSSL advisory for CVE-2019-1551.

Part of the CVE-2017-3738 patch

```
@@ -1093,7 +1093,9 @@
  vmovdqu = -8+32*2-128(\$ap),\$TEMP2
           $r1, %rax
  mov
+ vpblendd \$0xfc, $ZERO, $ACC9, $ACC9 # correct $ACC3
  imull
           $n0, %eax
           $ACC9,$ACC4,$ACC4
+ vpaddq
                                       # correct $ACC3
           \$0x1fffffff, %eax
  and
  imulg 16-128(\$ap), %rbx
@@ -1329.15 +1331.12 @@
```

September 2019: bug announced in Falcon software

Falcon: lattice-based post-quantum signature system in round 2.

"The consequences of these bugs are the following:

- Produced signatures were valid but leaked information on the private key. [emphasis added]
- Performance was artificially inflated: . . .

The fact that these bugs existed in the first place shows that the traditional development methodology (i.e. 'being super careful') has failed "

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Post-quantum cryptography: even more complex.

Cryptography is applied to large volumes of data.

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cryptographic code optimized in many ways for particular CPUs.

e.g. Keccak Code Package: >20 implementations of SHA-3. e.g. Google added hand-written Cortex-A7 asm to Linux kernel for Speck128/128-XTS, then switched to (faster) Adiantum-XChaCha.

Formal logic to the rescue?

Whitehead and Russell, *Principia Mathematica*, volume 1, 1st edition (1910), page 379:

*54·43.
$$\vdash :. \alpha, \beta \in 1 . \supset : \alpha \cap \beta = \Lambda . \equiv . \alpha \cup \beta \in 2$$

Dem.

$$\vdash . *54·26 . \supset \vdash :. \alpha = \iota' x . \beta = \iota' y . \supset : \alpha \cup \beta \in 2 . \equiv . x \neq y .$$

[*51·231]
$$\equiv . \iota' x \cap \iota' y = \Lambda .$$

[*13·12]
$$\vdash . (1) . *11·11·35 . \supset$$

$$\vdash :. (\exists x, y) . \alpha = \iota' x . \beta = \iota' y . \supset : \alpha \cup \beta \in 2 . \equiv . \alpha \cap \beta = \Lambda$$

$$\vdash :. (2) . *11·54 . *52·1 . \supset \vdash . Prop$$

From this representation is all falls and representation to all it is a local state of the state of th

From this proposition it will follow, when arithmetical addition has been defined, that 1+1=2.

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Good: High confidence that subtle bugs are gone (in the code; but worry about bugs in compiler, CPU, ...). Bad: Tons of effort for each implementation.
e.g. EverCrypt doesn't have fast software for smartphone CPUs.

Testing

Testing is great. Test everything. Design for tests.

Why wasn't the PA-RISC CRYPTO_memcmp software in OpenSSL run through millions of tests on random inputs? And tests on inputs differing in just a few positions? SUPERCOP crypto test framework has always done this.

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Good reaction to a bug:

"How can I build fast automated tests to catch this kind of bug?" Even better to ask question before bug happens.

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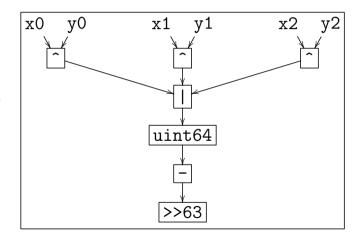
"On certain kinds of inputs, the code will lead to overflow conditions and hence to incorrect results. This, however, is a very low probability event and cannot be captured using some randomly generated known answer tests (KATs). . . . We believe that it is important to have proofs of correctness of the reduction algorithms to ensure that the algorithms works correctly for all possible inputs."

Can we fix this?

Symbolic testing: beyond testing particular inputs

.glob1 CRYPTO memcmp CRYPTO_memcmp: %rax.%rax xor %r10.%r10 xor \$0x0,%rdx cmp no data \$0x10.%rdx 1000 ine (%rdi),%r10 0x8(%rdi),%r11 mov \$0x1.%rdx mov (%rsi),%r10 vor 0x8(%rsi),%r11 xor or %r11.%r10 cmovne %rdx.%rax repz reta loop: (%rdi).%r10b mov lea 0x1(%rdi),%rdi (%rsi),%r10b xor 162 0x1(%rsi).%rsi %r10b,%al or%rdx dec loop ine %rax neg \$0x3f %rax shr no data: repz reta

Arithmetic DAG for all 3-byte inputs:





The power of modern reverse-engineering tools

Easy to use angr.io for automatic **symbolic execution**: machine-language software → arithmetic DAG. Simplifies analysis: simpler instructions, no memory, no jumps.

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Easy to use angr.io for automatic **symbolic execution**: machine-language software → arithmetic DAG.
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angr (via Z3 SMT solver) often sees equivalence of small DAGs. e.g. sees that OpenSSL $x86_64$ CRYPTO_memcmp on 3-byte inputs outputs 0 if x0==y0 and x1==y1 and x2==y2, and outputs 1 otherwise. Similarly for other input lengths.

```
#include <openssl/crypto.h>
unsigned char x[N];
unsigned char y[N];
int z;
int main()
  z = CRYPTO_memcmp(x,y,N);
  return 0;
```

```
#!/usr/bin/env python3
import sys
import angr
N = int(sys.argv[1]) if len(sys.argv) > 1 else 16
proj = angr.Project('cmp%d'%N)
state = proj.factory.full_init_state()
state.options |= {
  angr.options.ZERO_FILL_UNCONSTRAINED_MEMORY
```

```
x = \{\}
xaddr = proj.loader.find symbol('x').rebased addr
for i in range(N):
  x[i] = state.solver.BVS('x%d'%i,8)
  state.mem[xaddr+i].char = x[i]
v = \{\}
vaddr = proj.loader.find_symbol('y').rebased_addr
for i in range(N):
  v[i] = state.solver.BVS('v%d'%i,8)
  state.mem[vaddr+i].char = v[i]
```

simgr = proj.factory.simgr(state)
simgr.run()

```
assert len(simgr.errored) == 0
print('%d universes' % len(simgr.deadended))
for exit in simgr.deadended:
  zaddr = proj.loader.find_symbol('z').rebased_addr
 z = exit.mem[zaddr].int.resolved
  print('out = %s' % z)
  xeqv = True
  for i in range(N):
    xeqy = state.solver.And(xeqy,x[i]==y[i])
  xney = state.solver.Not(xeqy)
  for bugs in ((z!=0,z!=1),(z!=0,xeqy),(z!=1,xney)):
    assert not exit.satisfiable(extra_constraints=bugs)
```

Symbolic execution with better equivalence testing

What if the DAG is too complicated for the SMT solver? Answer: **Build smarter tools to recognize DAG equivalence.**

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Case study, software library from sorting.cr.yp.to:

- New speed records for sorting of in-memory integer arrays.
 This is a subroutine in some post-quantum cryptosystems.
- Side-channel countermeasures:
 no secret branch conditions; no secret array indices.
- New tool verifies correct sorting of all size-N inputs.
 No need for manual review of per-CPU optimized code.