The post-quantum Internet

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IP: Internet Protocol

IP communicates "packets": limited-length byte strings.

Each computer on the Internet has a 4-byte "IP address".
e.g. www.pqcrypto.org has address 131.155.70.11.

Your browser creates a packet addressed to 131.155.70.11; gives packet to the Internet. Hopefully the Internet delivers that packet to 131.155.70.11.

DNS: Domain Name System

You actually told your browser to connect to www.pqcrypto.org.

Browser learns "131.155.70.11" by asking a name server, the pqcrypto.org name server.

Browser \rightarrow 131.155.71.143: "Where is www.pqcrypto.org?"

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IP packet from browser also includes a return address: the address of your computer.

 $131.155.71.143 \rightarrow browser:$ "131.155.70.11"

Browser learns the name-server address, "131.155.71.143", by asking the .org name server.

Browser → 199.19.54.1: "Where is www.pqcrypto.org?"

199.19.54.1 \rightarrow browser:

"Ask the pqcrypto.org name server, 131.155.71.143"

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Browser → 199.19.54.1: "Where is www.pqcrypto.org?"

199.19.54.1 \rightarrow browser:

"Ask the pqcrypto.org name server, 131.155.71.143"

Browser learns "199.19.54.1", the .org server address, by asking the root name server. Browser learns the name-server address, "131.155.71.143", by asking the .org name server.

Browser \rightarrow 199.19.54.1: "Where is www.pqcrypto.org?"

199.19.54.1 \rightarrow browser:

"Ask the pqcrypto.org name server, 131.155.71.143"

Browser learns "199.19.54.1", the .org server address, by asking the root name server.

Browser learned root address by consulting the Bible.

TCP: Transmission Control Protocol

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Browser actually makes "TCP connection" to pqcrypto.org. Inside that connection: sends HTTP request, receives response.

Browser \rightarrow server:

"SYN 168bb5d9"

Server \rightarrow browser:

"ACK 168bb5da, SYN 747bfa41"

Browser \rightarrow server:

"ACK 747bfa42"

Server now allocates buffers for this TCP connection.

Browser splits data into packets, counting bytes from 168bb5da.

Server splits data into packets, counting bytes from 747bfa42.

Main feature advertised by TCP: "reliable data streams".

Internet sometimes loses packets or delivers packets out of order.

Doesn't confuse TCP connections: computer checks the counter inside each TCP packet.

Computer retransmits data if data is not acknowledged. Complicated rules to decide retransmission schedule, avoiding network congestion.

Stream-level crypto

http://www.pqcrypto.org
uses HTTP over TCP.

https://www.pqcrypto.org uses HTTP over TLS over TCP.

Your browser

- finds address 131.155.70.11;
- makes TCP connection;
- inside the TCP connection, builds a TLS connection by exchanging crypto keys;
- inside the TLS connection, sends HTTP request etc.

What happens if attacker forges a DNS packet pointing to fake server? Or a TCP packet with bogus data?

DNS software is fooled.
TCP software is fooled.
TLS software sees that
something has gone wrong,
but has no way to recover.

Browser using TLS can make a whole new connection, but this is slow and fragile.

Huge damage from forged packet.

Modern trend (e.g., DNSCurve, CurveCP; see also MinimaLT, Google's QUIC): Authenticate and encrypt each packet separately.

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Disadvantage: Crypto must fit into packet.

The KEM+AE philosophy

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Fragile, many problems:
e.g., Coppersmith attack,
Bleichenbacher attack,
bogus OAEP security proof.

Shoup's "KEM+DEM" view:

"Key encapsulation mechanism": Choose random $r \mod pq$. Encrypt r as $r^e \mod pq$. Define $k = H(r, r^e \mod pq)$.

"Data encapsulation mechanism": Encrypt and authenticate m under AES-GCM key k.

Authenticator catches any modification of r^e mod pq.

Much easier to get right.

Also generalizes nicely.

Can mix multiple hashes.

DEM security hypothesis: weak single-message version of security for secret-key authenticated encryption.

Chou: Is it safe to reuse *k* for multiple messages?

Answer: KEM+AE is safe; $KEM+AE \Rightarrow KEM+"nDEM"$. (But need literature on this!) AES-GCM, Salsa20-Poly1305, etc. aim for full AE security goal.

More complicated alternative: Use KEM+DEM to encrypt an n-time secret key m; reuse m.

DNSCurve: ECDH for DNS

Server knows ECDH secret key s.

Client knows ECDH secret key c, server's public key S = sG.

Client \rightarrow server: packet containing cG, $E_k(0, q)$ where k = H(cS); E is authenticated cipher; q is DNS query.

Server \rightarrow client: packet containing $E_k(1, r)$ where r is DNS response. Client can reuse *c* across multiple queries, but this leaks metadata. Let's assume one-time *c*.

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KEM+AE view:

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KEM+AE view:

Client is sending k = H(cS) encapsulated as cG. This is an "ECDH KEM".

Client then uses *k* to authenticate+encrypt.

Server also uses *k* to authenticate+encrypt.

Post-quantum encrypted DNS

"McEliece KEM":

Client sends k = H(c, e, Sc + e)encapsulated as Sc + e.

Random $c \in \mathbf{F}_2^{5413}$; random small $e \in \mathbf{F}_2^{6960}$; public key $S \in \mathbf{F}_2^{6960 \times 5413}$.

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"Niederreiter KEM", smaller: Client sends k = H(e, S'e) encapsulated as $S'e \in \mathbf{F}_2^{1547}$.

Client \rightarrow server:

packet containing Sc+e, $E_k(0, q)$. (Combine with ECDH KEM.)

Server \rightarrow client: packet containing $E_k(1, r)$.

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packet containing Sc+e, $E_k(0, q)$. (Combine with ECDH KEM.)

Server \rightarrow client: packet containing $E_k(1, r)$.

r states a server address and the server's public key. What if the key is too long to fit into a single packet?

One simple answer:
Client separately requests
each block of public key.
Can do many requests in parallel.

Confidentiality:

Attacker can't guess k, can't decrypt $E_k(0, q)$, $E_k(1, r)$.

Integrity:

Server never signs anything, but E_k includes authentication. Attacker can send new queries but can't forge q or r. Attacker can replay request.

Availability:

Client discards forgery, continues waiting for reply, eventually retransmits request.

Big keys

McEliece public key is 1MB for long-term confidence today.

Is this size a problem?

Do we need to switch to lower-confidence approaches such as NTRU or QC-MDPC?

Size of average web page in Alexa Top 1000000: 1.8MB.

Web page often needs public keys for several servers, but public key for a server can be reused for many pages.

Most important limitation on reuse of public keys: switching to new keys and promptly erasing old keys.

Rationale: "forward secrecy" subsequent theft of computer doesn't allow decryption.

e.g. Microsoft SChannel switches keys every two hours.

Safer: new key every minute.

Easier to implement: new key every connection.

What is the performance of a new key every minute?

If server makes new key: key gen, ≤ 1 per minute; client encrypts to new key; server decrypts. What is the performance of a new key every minute?

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If client makes new key: client has key-gen cost; server has encryption cost; client has decryption cost.

Either way:

one key transmission for each active client-server pair.

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Slice McEliece public key so that each slice of encryption produces separate small output.

Client sends slices (in parallel), receives outputs as cookies, sends cookies (in parallel). Server combines cookies. Continue up through tree.

Server generates randomness as secret function of key hash. Statelessly verifies key hash.